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# First-principle calculations of ductile CeAg intermetallic compound

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**Abstract:** The first-principle calculations were performed to investigate the structural, mechanical, electronic and thermal properties of the binary ductile intermetallic compound CeAg with B2 (CsCl) structure. The calculated value of lattice constant  $a_0$  for CeAg with generalized gradient approximation is 3.713 Å, which is in better agreement with experimental data than local spin density approximation. The negative energy of formation implies that CeAg with B2 structure is thermodynamically stable phase. The greater separation between the d bands of Ce and Ag results in weaker bond hybridization of Ce d—Ag d, which prevents formation of directional covalent bonding. The three independent elastic constants ( $C_{11}$ ,  $C_{12}$  and  $C_{44}$ ) are derived and the bulk modulus, shear modulus, elastic modulus, anisotropy factor, and Poisson ratio are determined to be 57.6 GPa, 15.8 GPa, 43.4 GPa, 3.15 and 0.374, respectively. The elastic constants meet all the mechanical stability criteria. The value of Pugh's criterion is 3.65. The ductility of CeAg is predicted if Pugh's criterion is greater than 1.75. Furthermore, the variations of volume, bulk modulus, heat capacity, and thermal expansion coefficient with temperature and/or pressure were calculated and discussed. **Key words:** CeAg; first-principle; elastic constant; thermodynamic property

# **1** Introduction

Many binary intermetallic compounds (Ni<sub>3</sub>Al, NiAl and FeAl, etc) have a combination of low density, good oxidation resistance and high strength at elevated temperatures. These excellent properties make them potentially useful for high-temperature structural materials, but binary polycrystalline intermetallic compounds usually possess little or no ductility at ambient temperatures if they are fully ordered with stoichiometric compositions [1]. Recently, a new family of ductile intermetallic compounds has been discovered. They are fully ordered, stoichiometric binary rare-earth B2-type (CsCl-type structure) intermetallic compounds with formula RM, where R is a rare-earth element and M is a main group or late transition metal [2]. Then, many experimental works have been done to reveal the mechanism of high ductility for RM [3-5]. Their results indicate that multiple slip systems, fine grain size, and rare-earth element are factors which may contribute to high ductility of RM. However, up to now, the mechanism has not been understood completely. LnAg (Ln=rare earth element) is a typical family of ductile RM. Cerium is the first element with 4f electron of Ln group elements, and CeAg is an important member of the ductile RM intermetallic compounds. The magnetic properties of CeAg have been investigated widely both experimentally [6-8] and theoretically [9, 10] due to its unusual magnetic properties at low temperature and high pressure. However. the electronic structure. thermodynamic properties and ductile mechanism have not been understood completely. To get a better understanding of the anomalous ductility of CeAg, more fundamental studies of its electronic structural properties are required.

In the present work, the first principle calculations are performed to investigate the fundamental properties of the RM compound CeAg with B2 structure including total energy, lattice constant, formation energy, electronic band structure, density of states, mechanical properties and thermodynamic properties. The phase stability, bonding character and account for high ductility were discussed on the basis of the calculation results.

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### **2** Computational methods

The first-principle calculations were based on the density functional theory (DFT). The total energies were calculated using full-potential linearized augmented plane-wave method (FP-LAPW) plus local orbital program as implemented in the WIEN2k package [11], and with the generalized gradient approximation (GGA) of PERDEW, BURKE and ERNZRHOF (PBE) [12] for exchange-correlation energy. The the spherical harmonics inside the muffin-tin are taken with an angular momentum  $l_{max}=10$  while the charge density is Fourier expanded up to  $G_{max}$ =12. The muffin-tin sphere radii ( $R_i$ ) of Ce and Ag was chosen as 2.7 and 2.5 a.u., respectively. The basis function was expanded up to  $R_{\min}K_{\max}=9.0$  in order to achieve convergence, where  $R_{\min}$  is the minimum sphere radius and  $K_{max}$  is the maximal value of the reciprocal lattice vector used in the plane wave expansion. Integration in the reciprocal space was performed by using the tetrahedron method with a kmesh of 12×12×12 k-points in the irreducible wedge of the Brillouin zone (BZ). The total energy is converged to within 0.01 mRy/unit cell during the self-consistency cycle.

The structure of CeAg was firstly optimized and then the elastic constants were calculated by the strain energy method. An set of strains were applied to the unit cell lattice of optimized structure. Then, the elastic constants were determined from the resulting change in total energy on the deformation. For the cubic crystals, there are three independent elastic constants, which are usually referred to as  $C_{11}$ ,  $C_{12}$  and  $C_{44}$ . Three strains were employed to determine all the elastic constants. The detailed description of this method can be found in Ref. [13].

To investigate the thermodynamic properties of CeAg, the quasi-harmonic Debye model was applied [14]. The non-equilibrium Gibbs energy  $G^*(V; P, T)$  can be written as:

$$G^*(V; P, T) = E(V) + PV + A_{\text{vib}}(T, \Theta_{\text{D}}(V))$$
(1)

where E(V) is the total energy per unit cell;  $\Theta_D(V)$  is the Debye temperature;  $A_{vib}$  is the vibrational Helmholtz free energy, and can be written using the Debye model of the phonon density of states as [15–19]:

$$A_{\rm vib}(\Theta_{\rm D};T) = nkT \left[\frac{9}{8}\frac{\Theta_{\rm D}}{T} + 3\ln(1 - e^{-\Theta_{\rm D}/T}) - D(\frac{\Theta_{\rm D}}{T})\right]$$
(2)

where  $D(\Theta_D/T)$  represents the Debye integral;  $\Theta_D$  is the Debye temperature; *n* is the number of atoms per formula unit. Assuming an isotropic solid,  $\Theta_D$  can be computed as [15]:

$$\Theta_{\rm D} = \frac{\eta}{k} (6\pi^2 V^{1/2} n)^{1/3} f(\sigma) \sqrt{\frac{B_{\rm S}}{M_{\rm r}}}$$
(3)

where  $M_r$  is the relative molecular mass per formula unit;  $f(\sigma)$  was given in Refs. [17,18];  $B_s$  is the adiabatic bulk modulus, which is approximately given by the static compressibility.

$$B_{\rm S} \cong B(V) = V \frac{\mathrm{d}^2 E(V)}{\mathrm{d}V^2} \tag{4}$$

Thus, the non-equilibrium Gibbs function  $G^*(V; P, T)$  can be minimized with respect to volume V:

$$\left(\frac{\partial G^*(V; p, T)}{\partial V}\right)_{P, T} = 0$$
(5)

By solving Eq. (5), the thermal equation of state (EOS) V(P,T) can be obtained. The specific heat capacity  $c_V$  and the thermal expansion coefficient  $\alpha$  are given by

$$c_V = 3nk \left[ 4D(\frac{\Theta_{\rm D}}{T}) - \frac{3\Theta_{\rm D}/T}{{\rm e}^{\Theta_{\rm D}/T} - 1} \right]$$
(6)

$$\alpha = \frac{\gamma c_V}{B_{\rm T} V} \tag{7}$$

where  $\gamma$  is the Grüneisen parameter defined as

$$\gamma = -\frac{\mathrm{d}\ln\Theta_{\mathrm{D}}(V)}{\mathrm{d}\ln V} \tag{8}$$

Through the quasi-harmonic Debye model, thermodynamic parameters including the bulk modulus, thermal expansion coefficient and specific heats at constant volume, heat capacity  $c_V$  under different temperatures and/or pressures can be obtained from the calculated E - V data. A detailed description of this method can be found in Ref. [14].

# **3 Results and discussion**

# 3.1 Crystal structure parameters

CeAg with B2 CsCl-type has two atoms in one unit cell with  $Pm\bar{3}m$  space group. Figure 1(a) illustrates the crystal structure of CeAg. The Ce atoms are positioned at (0, 0, 0), Ag atoms at the centre of unit cell (0.5, 0.5, 0.5) [20]. Before starting the calculations of electronic structure and the lattice parameters are optimized with different approximations to the exchange-correlation energy for a comparison. Figures 1(b) and (c) show the variation of total energy with volume for the local spin density approximation (LSDA) [21] and GGA, respectively. The calculated values of the crystal lattice constants and equilibrium unit cell volume, as well as the corresponding experimental results for CeAg are given in Table 1. The computed lattice parameter values are 3.595 Å with LSDA and 3.713 Å with GGA, respectively. Our

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**Fig. 1** Crystal structure of CeAg (a), variation of total energy with volume for LSDA approximation (b) and variation of total energy with volume for GGA approximation (c)

 
 Table 1 Theoretical and experimental lattice constants as well as unit cell volumes of CeAg in B2 cubic phase

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Method	$a_0$ /Å	Volume/Å <sup>3</sup>						
LSDA	3.595	46.46						
GGA	3.713	51.19						
Experimental	3.746 [20]	52.57 [20]						

theoretical lattice constant  $a_0$  for CeAg with GGA is only 0.88% smaller than the experimental one, while it is 4.03% with LSDA. Hence, the theoretical lattice constant with GGA is used in all calculations.

#### **3.2 Energy of formation**

The energy of formation is known to be a measure

of the phase thermodynamic stability, so the energy of formation ( $\Delta E_{\text{form}}$ ) for CeAg is calculated according to the following expression [22]:

$$\Delta E_{\text{form}} = \frac{1}{2} \left[ E_{\text{tot}}(\text{CeAg}) - E_{\text{tot}}(\text{Ce}) - E_{\text{tot}}(\text{Ag}) \right]$$
(9)

where  $E_{tot}$ (CeAg),  $E_{tot}$ (Ce) and  $E_{tot}$ (Ag) are the total energies for CeAg (space group Pm3m, 2 atom/cell, Ce (space group Fm3m, 1 atom/cell) and Ag (space group Fm3m, 1 atom/cell), respectively. The calculated value for CeAg is -0.04 eV/atom. The negative energy of formation implies that CeAg with B2 structure is thermodynamically stable phase.

#### **3.3 Electronic properties**

Figure 2 exhibits the calculated energy band structure of CeAg at equilibrium lattice parameters along selected high-symmetry directions within the first Brillouin zone. The valence bands of CeAg can be divided into two groups, i.e., a low-energy group mainly composed of Ag 4d states, and the upper valence bands composed of Ce 4f and 5d states. As shown in Fig. 2, valence and conduction bands overlap considerably at the Fermi level and as a result there is no energy gap at  $E_{\rm F}$ . This suggests that CeAg exhibits a nearly metallic character.

The total and partial densities of states (DOS) for CeAg are calculated using the optimized structure at the equilibrium volume. As shown in Fig. 3, the lowest-lying states from -6 to -4 eV are derived from Ag 4d states. The states above the Fermi level are mainly due to Ce 5d and 4f states. The d bands of Ce are diffuse, while the d bands of Ag are much narrower than those in pure FCC Ag crystal. The greater separation between the d bands of



Fig. 2 Electronic band structure of CeAg



Fig. 3 Total and partial densities of states for CeAg

Ce and Ag results in weaker bond hybridization of Ce d—Ag d, which prevents formation of directional bonding. This suggests that CeAg would exhibit high ductility like some other RM intermetallics [23].

#### **3.4 Mechanical properties**

The elastic constants are essential for understanding macroscopic mechanical properties of crystal as they relate to various fundamental solid state properties and thermodynamic properties. Table 2 lists the values of the single crystal elastic constants, the bulk modulus B, the shear modulus G, elastic modulus E, anisotropy factor Aand Poisson ratio v. Furthermore, the value of Pugh's criterion is also listed. The bulk modulus B and Voigt-Reuss-Hill averaged shear modulus  $G_{\rm H}$  [24] were obtained through the following equations:  $B=(C_{11}+2C_{12})/3$  and  $G_{\rm H}=(G_{\rm V}+G_{\rm R})/2$ , where the effective Voigt shear modulus  $G_{\rm V}$  and Reuss shear modulus  $G_{\rm R}$  are

$$G_{\rm V} = 1/5(C_{11} - C_{12} + 3C_{44}),$$

$$G_{\rm R} = \frac{5C_{44}(C_{11} - C_{12})}{4C_{44} + 3(C_{11} - C_{12})}$$
(10)

The elastic modulus E, Poisson ratio v and anisotropic factor A are given as:

$$E = \frac{9BG_{\rm H}}{3B + G_{\rm H}}, \ \upsilon = \frac{3B - 2G_{\rm H}}{2(3B + G_{\rm H})}, \ A = \frac{2C_{44}}{C_{11} - C_{12}}$$
(11)

As shown in Table 2, the calculated elastic constants and bulk modulus are close to values reported by MORIN [6]. The elastic stability is a necessary condition for a crystal to exist. The requirements of mechanical stability for a cubic crystal lead to the following restrictions on the elastic constants [25]:  $C_{11}>0$ ,  $C_{44}>0$ ,  $C_{11}-C_{12}>0$ ,  $C_{11}+2C_{12}>0$ ,  $C_{11}>B>C_{12}$ . Obviously, the calculated elastic constants satisfy the mechanical stability criterion, which means that CeAg is stable in B2 structure, and in good agreement with the analysis of formation energy. PUGH [26] proposed that materials with melting temperatures above 900 °C is predicted to be in ductile behavior if the value of Pugh's criterion B/G>1.75 [27]. Obviously, our calculated value satisfies criterion. The ductility of CeAg is predicted, which is consistent with the observed ductility in experiments [28].

 Table 2 Calculated elastic constants, bulk modulus, shear modulus, elastic modulus, anisotropy factor, Poisson ratio of CeAg

CeAg	C <sub>11</sub> / GPa	C <sub>12</sub> / GPa	C <sub>44</sub> / GPa	<i>B/</i> GPa	G∕ GPa	<i>E/</i> GPa	A	υ	B/G
This work	68.1	52.3	24.9	57.6	15.8	43.4	3.15	0.374	3.65
Ref.[6]	59.6	44.6	21.5	49.6			2.87		

#### 3.5 Thermodynamic properties

Figure 4 shows the normalized volume—pressure diagram at 300, 600 and 1000 K for CeAg. The unit cell volume decreases smoothly at different temperatures; no abrupt changes occur with increasing pressure. This change of curves can be attributed to interaction between atoms and thermal expansion. Furthermore, the normalized volume decreases faster with increasing temperature.



Fig. 4 Normalized volume—pressure diagram for CeAg at different temperatures

The temperature dependence of bulk modulus at 0 GPa of pressure for CeAg is shown in Fig. 5(a). From 0 K to 600 K, bulk modulus decreases linearly with increasing temperature. The bulk modulus of CeAg

drops by 18% from 0 K to 1000 K. The relationship between bulk modulus and pressure for CeAg at different temperatures is shown in Fig. 5(b). From 0 to 18 GPa, the bulk modulus increases linearly with increasing pressure. The *B* values of CeAg at 300, 600 and 1000 K increase by 148%, 163% and 165%, respectively. Otherwise, the bulk modulus decreases with increasing the temperature at a fixed pressure.



**Fig. 5** Bulk modulus as function of temperature at p=0 GPa (a) and pressure dependency of bulk modulus for CeAg at 300, 600 and 1000 K (b)

The calculated specific heat capacity at constant volume  $c_V$ , versus temperature for CeAg at a pressure of 0 GPa is shown in Fig. 6(a). The  $c_V$  increases rapidly in the low temperature region below 200 K and almost approaches a constant above 400 K due to the anharmonic approximation of the Debye model in the high temperature region. The  $c_V$  obeys the expected  $T^3$  power law in the low temperature limit, and it is very close to the Dulong-Petit limit of  $c_V=3nNk_B=49.884$  J/(mol·K). As is known to all,  $3nNk_B$  is commonly satisfied with all solids at higher temperatures. Figure 6(b) illustrates the variation of the volumetric thermal expansion coefficient  $\alpha_v$  of CeAg as a function of the temperature at a pressure of 0 GPa. It shows that initially,



**Fig. 6** Calculated heat capacity values at constant volume  $c_V$  versus temperature (a) and thermal expansion versus temperature (b) for CeAg at P=0 GPa

the  $\alpha_v$  increases rapidly with increasing temperature before leveling off at *T*>200 K. The change of  $\alpha_v$  is very small at high temperature, which is similar to specific heat capacity at constant volume  $c_V$ .

# 4 Conclusions

1) The calculated lattice parameters using GGA method are in better agreement with the experimental data than LSDA method for CeAg.

2) The calculated formation energy for CeAg is -0.04 eV/atom. The negative energy of formation indicates that CeAg with B2 structure is thermodynamically stable phase.

3) Band structure and density of states show that the greater separation between d bands of Ce and Ag results in weaker bond hybridization of Ce d—Ag d. This would prevent formation of directional covalent bonding and explain high ductility of CeAg.

4) Calculated elastic constants satisfy the mechanical stability criterion and the ductility of CeAg is predicted by Pugh's criterion.

5) The thermodynamic properties are analyzed using the quasi-harmonic Debye model. The results show that volume and bulk modulus vary linearly with increasing temperature. Furthermore, specific heat capacity  $c_V$  is close to the Dulong-Petit limit, which is common to all solids at high temperatures.

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# 韧性金属间化合物 CeAg 的第一性原理计算

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**摘 要:**采用第一性原理计算法研究具有 B2 (CsCl) 结构的二元韧性金属间化合物 CeAg 的结构、力学性能、电子性质以及热力学性能。利用广义梯度近似计算得到的晶格常数为 3.713 Å,比自旋密度近似计算的结果更符合实验值。负的形成能表明具有 B2 结构的 CeAg 是热力学稳定相。Ce 和 Ag 原子的 d 能带相互分离导致两者的键合杂化作用较弱,从而阻止具有方向性的共价键形成。计算得到了 CeAg 的 3 个独立弹性常数(C<sub>11</sub>, C<sub>12</sub>和 C<sub>44</sub>),体模量、剪切模量、弹性模量、各向异性因子以及泊松比分别为 57.6 GPa、 15.8 GPa、 43.4 GPa、3.15 和 0.374。弹性常数符合所有力学稳定性准则。CeAg 的 Pugh 判据值为 3.65,当 Pugh 判据值大于 1.75 时,CeAg 具有良好的韧性。此外,还计算和讨论了 CeAg 的体积、体模量、热容和热膨胀系数随温度或者压力的变化规律。 关键词: CeAg;第一性原理;弹性常数;热力学性能

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