

Calculation of Cu-rich part of Cu-Ni-Si phase diagram

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Abstract: The thermodynamic calculation of phase equilibria in the Cu-Ni-Si alloy system was carried out using the CALPHAD method. The calculations show that there are three two-phase areas and two three-phase areas in the Cu-rich parts of the isothermal section of the phase diagram at 300–600 °C, and the three two-phase areas are FCC-A1(Cu-rich)+ γ -Ni₅Si₂, FCC-A1(Cu-rich)+ δ -Ni₂Si and FCC-A1(Cu-rich)+ ϵ -Ni₃Si₂, two three-phase areas are FCC-A1(Cu-rich)+ γ -Ni₅Si₂+ δ -Ni₂Si and FCC-A1(Cu-rich)+ δ -Ni₂Si+ ϵ -Ni₃Si₂. For this reason, an alloy located in the Cu-rich portion may precipitate γ -Ni₅Si₂, δ -Ni₂Si or ϵ -Ni₃Si₂; the proportion of each phase depends on the alloy composition and aging temperature. The transmission electron microscope analysis of the Cu-3.2Ni-0.75Si alloy indicates that the precipitates are mainly δ -Ni₂Si with only a few γ -Ni₅Si₂ phase particles, which agrees well with the thermodynamic calculations of phase equilibria.

Key words: Cu-Ni-Si alloy; phase diagram calculation; thermodynamics

1 Introduction

Cu-Ni-Si alloys are widely used for the lead frames owing to their excellent strength and electrical conductivity[1–4]. Many alloys with different compositions have been developed. However, the design of these Cu-Ni-Si alloys mainly depended on trial and error. Furthermore the structure of precipitates in Cu-Ni-Si alloys is still controversial. LOOCKYER and NOBLE[5] reported that the structure of precipitates was similar to γ -Ni₅Si₂, whilst FUJIWARA[6] considered that the precipitates were β -Ni₃Si. Many researchers believed that the precipitates are δ -Ni₂Si and that some orientation relationship existed between the precipitates and the Cu matrix[7]. The structures and quantities of precipitates greatly influence the properties of the alloy, which mainly depend on the alloy composition and aging temperature. Therefore the scientific and reasonable design of alloy composition should be based upon the knowledge of the phase diagram.

In this paper, the thermodynamic calculation of phase equilibria in the Cu-Ni-Si alloy system is carried

out by the CALPHAD method, and the structure and proportion of various precipitates are simulated at different aging temperature in Cu-3.2%Ni-0.75%Si. The results can act as guidelines for the design of high-strength and high-conductivity Cu-Ni-Si alloys.

2 Experimental

The isothermal sections of the Cu-rich part of the Cu-Ni-Si phase diagram were calculated using the Thermo-Calc software. Thermodynamic parameter optimization was carried out in the PARROT module of the Thermo-Calc software. This research used thermodynamic results of the Cu-Ni, Cu-Si and Ni-Si binary systems and thermodynamic parameters of the Cu-matrix thermodynamic database assessed by WANG et al[8].

The experimental alloy of composition Cu-3.2%Ni-0.75%Si (designated Cu-3.2Ni-0.75Si) was melted and cast into ingots in a vacuum induction furnace. The ingots were hot rolled and cold rolled. The samples for microscopic analysis were cut from cold rolled bars. The samples were solution treated at 900 °C for 70 min in a

furnace under nitrogen atmosphere, water quenched and then aged at 500 °C for 60 min.

The microstructures were examined with a JEM-2000EX transmission electron microscope. The samples were cut into discs and ground to a thickness of 0.3 mm, thinned to 60–80 μm by electro-polishing in 30 mL HNO₃+10 mL H₄PO₃+50 mL CH₃COOH at a voltage of 3 V for 3–4 min, electropolished using a twin jet electropolisher in 40%(volume fraction) H₄PO₃ in water below –10 °C and thinned with a Gatan 600 Duo-mill (DUAL10N Mill/gatan model 600).

3 Thermodynamic models

The Cu-Ni-Si ternary system contains solid solution phases (liquid phase, face-centered cubic (FCC) phase, body-centered cubic (BCC) phase, hexagonal close-packed (HCP) phase), and some intermediate phases. Although ternary compound phases in the Cu-Ni-Si system were reported by some researches[9], these phases have not been confirmed; therefore ternary compound phases are not to be considered in this paper.

The Gibbs free energy of the pure component i in the Φ phase can be expressed as:

$${}^0G_m^\Phi(T) = a + bT + cT \ln T + dT^2 + eT^3 + fT^{-1} + gT^7 + hT^{-9} \quad (1)$$

The data of pure components are taken from the SGTE(Scientific Group Thermodata Europe) database [10].

3.1 Liquid phase, fcc, bcc and hcp solid solution phases

The Gibbs free energy of the liquid, face-centered-cubic (FCC), body-centered-cubic (BCC), and hexagonal-close-packed (HCP) solid solution phases are described by the regular solution model:

$$\begin{aligned} G_m^\Phi = & {}^0G_{Cu}^\Phi x_{Cu} + {}^0G_{Ni}^\Phi x_{Ni} + {}^0G_{Si}^\Phi x_{Si} + \\ & RT(x_{Cu} \ln x_{Cu} + x_{Ni} \ln x_{Ni} + x_{Si} \ln x_{Si}) + \\ & L_{CuNi}^\Phi x_{Cu} x_{Ni} + L_{CuSi}^\Phi x_{Cu} x_{Si} + L_{NiSi}^\Phi x_{Ni} x_{Si} + \\ & L_{CuNiSi}^\Phi x_{Cu} x_{Ni} x_{Si} + G^{\text{mag}, \Phi} \end{aligned} \quad (2)$$

where ${}^0G_i^\Phi$ is the Gibbs free energy of pure component i in the respective reference state, x_i is the molar fraction of component i , and L_{ij}^Φ and L_{ijk}^Φ are the temperature and composition dependent interaction energy in the binary and ternary systems, respectively. L_{ij}^Φ is the interaction parameter between i and j atoms. L_{ijk}^Φ is the ternary interaction parameter. The concentration and temperature dependence of the parameters L_{ij}^Φ and L_{ijk}^Φ are expressed as follows:

$$\begin{aligned} L_{ij}^\Phi = & {}^0L_{ij}^\Phi + {}^1L_{ij}^\Phi(x_i - x_j) + {}^2L_{ij}^\Phi(x_i - x_j)^2 + \\ & {}^3L_{ij}^\Phi(x_i - x_j)^3 + \dots = \sum_{m=0}^n {}^mL_{ij}^\Phi(x_i - x_j)^m \end{aligned} \quad (3)$$

$${}^nL_{ij}^\Phi = {}^nA + {}^nBT + {}^nCT \ln T \quad (4)$$

$$L_{CuNiSi}^\Phi = {}^0L_{CuNiSi}^\Phi x_{Cu} + {}^1L_{CuNiSi}^\Phi x_{Ni} + {}^2L_{CuNiSi}^\Phi x_{Si} \quad (5)$$

$${}^nL_{CuNiSi}^\Phi = A' + B'T \quad (6)$$

where A , B and C are thermodynamic parameters to be optimized.

$G^{\text{mag}, \Phi}$ is the magnetic contribution to the Gibbs free energy, which can be calculated using the following formula:

$$\Delta G^{\text{mag}, \Phi} = RT \ln(\beta + 1) f(\tau) \quad (7)$$

$$f(\tau) = \begin{cases} 1 - \frac{1}{A} \left[\frac{79\tau^{-1}}{140} + \frac{158}{497} \left(\frac{1}{p} - 1 \right) \left(\frac{\tau^3}{2} + \frac{\tau^9}{45} + \frac{\tau^{15}}{200} \right) \right] & \tau > 1 \\ -\frac{1}{A} \left[\frac{\tau^{-5}}{10} + \frac{\tau^{-15}}{315} + \frac{\tau^{-25}}{1500} \right] & \tau < 1 \end{cases} \quad (8)$$

where $A = \frac{518}{1125} + \frac{11692}{15975} \left(\frac{1}{p} - 1 \right)$; $\tau = \frac{T}{T_C}$; p is a

constant, $p=0.28$ (for FCC alloy) or 0.40 (for BCC alloy).

$$T_C^\Phi = \sum_i x_i {}^0T_i^\Phi + x_i x_j \sum_{m=0}^n {}^mT_{i,j}^\Phi (x_i - x_j)^m \quad (9)$$

$$\beta^\Phi = \sum_i x_i {}^0\beta_i^\Phi + x_i x_j \sum_{m=0}^n {}^m\beta_{i,j}^\Phi (x_i - x_j)^m \quad (10)$$

where T_C^Φ is the critical temperature of magnetic order, which is the Curie temperature (T_C) for ferromagnetic ordering and the Neel temperature (T_N) for antiferromagnetic ordering; β_0^Φ is the Bohr magnetic moment. ${}^0T_i^\Phi$ and ${}^0\beta_i^\Phi$ are magnetic data of pure component i ; ${}^mT_{i,j}^\Phi$ and ${}^m\beta_{i,j}^\Phi$ are magnetic interaction parameters between the i and j components.

3.2 Linear compounds

The thermodynamic model treatment of linear compounds accords with the sublattice model. The general formula is A_pB_q , where p and q represent the mole number in the A and B sublattices. The Gibbs free energy of one mole of A_pB_q compound can be expressed as follows:

$${}^0G_m^{\text{SER}} = m {}^0G_A^{\text{SER}} + n {}^0G_B^{\text{SER}} + \Delta G_f^{\text{SER}} \quad (11)$$

$\Delta G_f^{A_p B_q}$ is the free energy of one mole of the $A_p B_q$ compound, which can be written as

$$\Delta G_f^{A_p B_q} = a + bT + cT \ln T \quad (12)$$

where a , b and c are thermodynamic parameters to be optimized.

4 Results and discussion

4.1 Isothermal sections of phase diagram

The calculated isothermal sections of the Cu-Ni-Si phase diagram in the Cu-rich part at 300, 400, 500 and 600 °C are presented in Fig.1(a)–(d). Fig.1 indicates that there are three two-phase areas and two three-phase areas in the Cu-rich part of the isothermal sections at 300–500 °C. The three two-phase areas are FCC-A1(Cu-rich)+ γ -Ni₅Si₂, FCC-A1(Cu-rich)+ δ -Ni₂Si and FCC-A1(Cu-rich)+ ε -Ni₃Si₂. The two three-phase areas are FCC-A1(Cu-rich)+ γ -Ni₅Si₂+ δ -Ni₂Si and FCC-A1(Cu-rich)+ δ -Ni₂Si+ ε -Ni₃Si₂. There are two two-phase areas, FCC-A1(Cu-rich)+ γ -Ni₅Si₂ and FCC-A1(Cu-rich)+ δ -Ni₂Si, one three-phase area, FCC-A1(Cu-rich)+ δ (Ni₂Si)+ γ (Ni₅Si₂), and one single-phase area FCC-A1(Cu-rich) at 600 °C. According to the phase diagram, an alloy located in the Cu-rich part may precipitate γ -Ni₅Si₂, δ -Ni₂Si or ε -Ni₃Si₂; the proportion of each phase depends on the alloy composition and aging temperature. This is the reason why there are different reports in the literature concerning the structure of precipitates in the Cu-Ni-Si system.

4.2 Structure and mass fraction of phases of experimental alloy in equilibrium state

The structure and mass fraction of phases of the Cu-3.2Ni-0.75Si experimental alloy were calculated in the equilibrium state. The results are shown in Fig.2. The isothermal sections of the phase diagram in Fig.1 show that the alloy Cu-3.2Ni-0.75Si is located at the boundary of the FCC-A1(Cu-rich)+ γ -Ni₅Si₂+ δ -Ni₂Si three-phase area and the FCC-A1(Cu-rich)+ δ -Ni₂Si two-phase area at 300, 400, 500 and 600 °C. Therefore, the δ -Ni₂Si phase and the γ -Ni₅Si₂ phase will precipitate in this alloy during aging. Fig.2 indicates that with decreasing temperature the mass fraction of δ -Ni₂Si phase will increase, whilst the mass fraction of γ -Ni₅Si₂ will decrease.

4.3 TEM evaluation of precipitates

The morphology of precipitates in the Cu-3.2Ni-0.75Si alloy aged at 500 °C is shown in Fig.3. The disc-like precipitates are distributed uniformly in the matrix with a diameter of about 30 nm. The diffraction pattern of the precipitates confirms that the precipitates have an orthorhombic lattice similar to δ -Ni₂Si.

In the TEM image of the precipitates, a few disc-like precipitations with a diameter of about 60 nm (Fig.4) are also found. The results of the diffraction pattern indicate that the precipitates are γ -Ni₅Si₂ phase. The experiment results show that the precipitates are mainly δ -Ni₂Si phases and there are only a few γ -Ni₅Si₂ phases, which agrees well with the thermodynamic calculation results of phase equilibria.

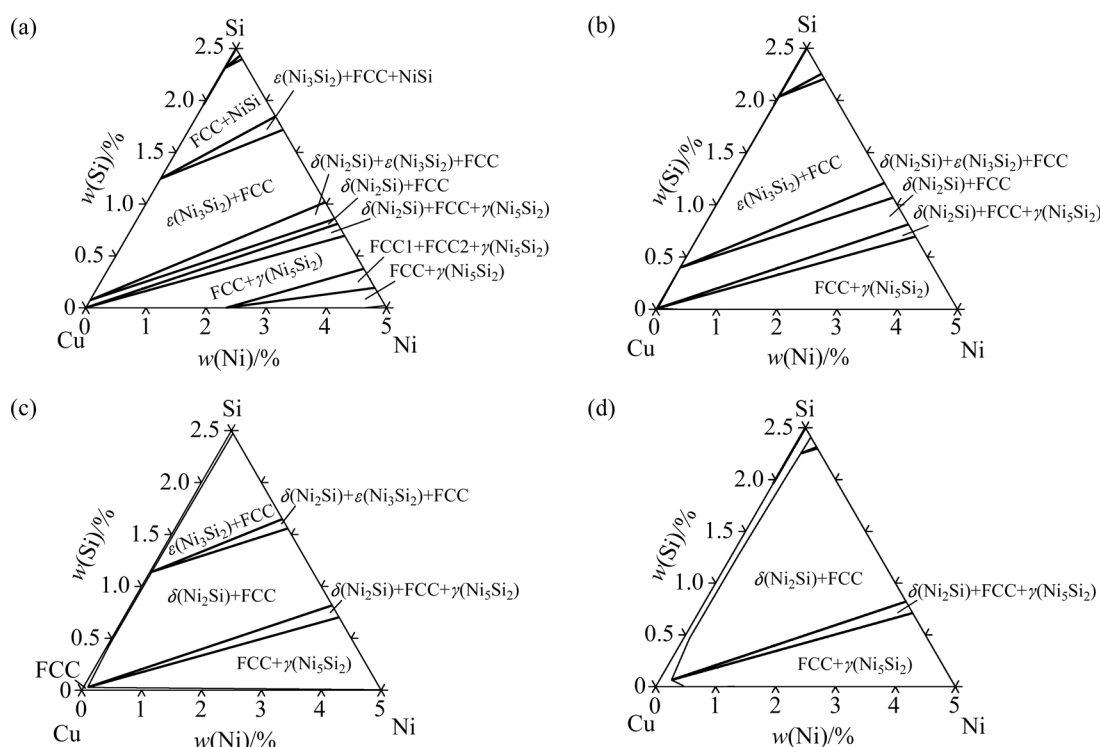


Fig.1 Calculated Cu-rich isothermal section of Cu-Ni-Si phase diagram at 300 °C (a), 400 °C (b), 500 °C (c) and 600 °C (d)

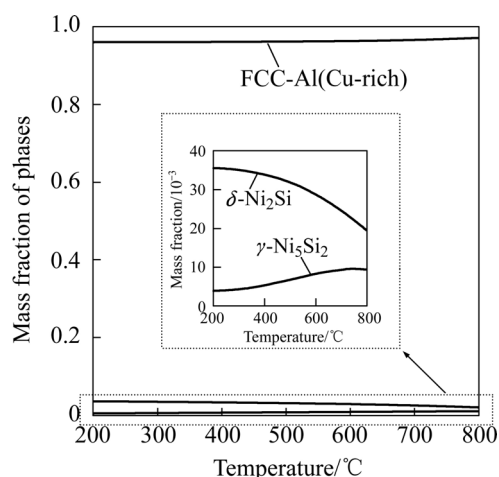


Fig.2 Mass fraction of phases of Cu-3.2Ni-0.75Si alloy in equilibrium state

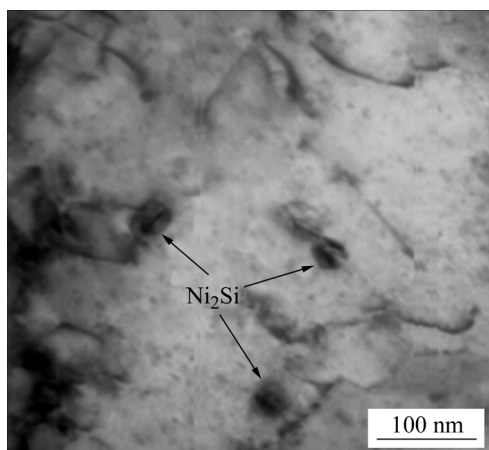


Fig.3 TEM image of δ -Ni₂Si precipitates in Cu-3.2Ni-0.75Si alloy aged at 500 °C

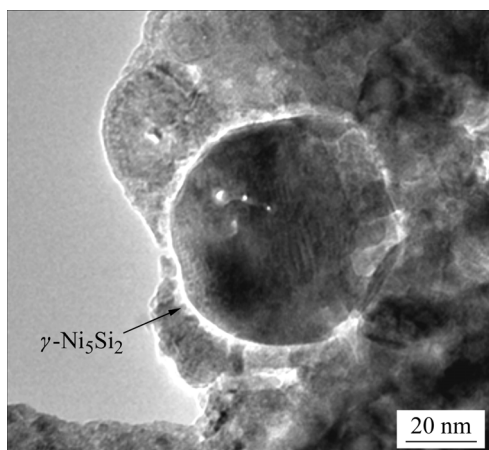


Fig.4 TEM image of γ -Ni₅Si₂ precipitate in Cu-3.2Ni-0.75Si alloy aged at 500 °C

4 Conclusions

1) There are three two-phase areas, FCC-Al(Cu-rich)+ γ -Ni₅Si₂, FCC-Al(Cu-rich)+ δ -Ni₂Si and FCC-Al(Cu-rich)+ ϵ -Ni₃Si₂, and two three-phase areas, FCC-Al(Cu-rich)+ γ -Ni₅Si₂+ δ -Ni₂Si and FCC-Al(Cu-rich)+ δ -Ni₂Si+ ϵ -Ni₃Si₂ in the Cu-rich portion of 300–600 °C isothermal section phase diagram in Cu-Ni-Si alloy system. For this reason, the alloy located in the Cu-rich portion may precipitate γ -Ni₅Si₂, δ -Ni₂Si and ϵ -Ni₃Si₂, and the proportion of each phase depends on the alloy composition and aging temperature.

2) TEM results of Cu-3.2Ni-0.75Si alloy indicate that the precipitates are mainly δ -Ni₂Si phases, and only a few γ -Ni₅Si₂ phases, which agrees well with the thermodynamic calculation results of phase equilibria.

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